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## M.Sc. Chemistry I Semester <br> Inorganic Chemistry Lect: 1

1. Symmetry elements and symmetry operations
2. Classification of symmetry elements

## Symmetry

When there is matter, there is symmetry and geometry. Symmetry begins the first property of geometrical entity. If an object is symmetric then one part of it's identical to the other part.

What is meant by symmetry ?

* Symmetry is a kinds of balancing act
* Symmetry cannotes harmony of proportion
* Symmetry is a beautifulness an object
* Symmetry becomes important when it interpret facts
* Symmetry possess an order of pattern: Repeating unit

Requirement for defining symmetry
Geometry is a fundamental requirement for defining of symmetry of molecules.

What is meant by symmetry ?

- Symmetry is a kinds of balancing act.

- Symmetry cannotes harmony in pr proportion


Uniform distribution of colour on the flowers

- It has harmony in the proportions -

- Symmetry is a beautifulness an object.

* Symmetry possess an order of pattern: Repeating unit

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## Learnt symmetry from nature ?

## SYMMETRY IN NATURE:

Nature contains various objects, animals, plants, manmade architectural designs, eating food habits etc.

Symmetry is found in plants: A plants grow vertical direction against gravity; they must adapt some mechanism of balancing act. After they grow into some size. Some part of plants shows radial symmetry. There leaves, flowers and fruits offer the best examples for bilateral, radial and other multidimensional symmetry. colour spreading on the leaves follow certain pattern . so that, it look like unkery $y_{2}$ begautiful


Symmetry is found in animal : Few of exception, all the animals possess at least bilateral symmetry in their physical shapes. Each animal can be divided into two equal parts.

Colored markings were observed in some animal. like Zebra \& tiger, complement of their colour is a beauty to watch.


Animal show a sense of order of pattern in their activity., when birds fly in the groups, they follows some rule of symmetry.


## Symmetry is found in manmade objects

## Architecture :

There are many outstanding examples of symmetry in architecture, available in the form of both modern and historical monuments.

The Lotus temple situated at New Delhi with notable architectural design , Tajmahal , Bibika Makbara, all these structure look like very beautiful due to well designed symmetric manner .


## Tajmahal



Symmetry is also found in eating food materials :

Take any item or raw material to be cooked as food. It is mixed with water to form shapeless materials. But we are molding them into different shapes.

- Circular Chapati
- Triangular paratha
- Spherical Gulam Jamun,

Some time shape is attributed to the test and geometrical sense


## Symmetry in languages :

Language is a medium of communication, it may be either prose or poetry. each of the poetic line ends with word of repeating phonetic sounds. Which implies a particular pattern of symmetry.
"Engine engine number nine,
when it ready it will shine.
Then we'll ride on the Mumbai line"

There are some meaningful words or sentences that can be read either backward or forward direction, which has same meaning:

| MADAM. | REFER, | TOOT |
| :--- | :--- | :--- |
| MUM | LEVEL | PUP |

Ex. No Melon, No Lemon

## Symmetry in music :

Music, whether it is vocal, verbal or instrumental involves some harmony of sound that sensitizes the emotions.

Ex. Sa, Re, Ga ,Ma, Pad, Ni, Sa
Symmetry is also found in dancing habit.
Why symmetry is important in Chemistry ?
Symmetry predict the properties of molecules without performing any experimental work .
i.e. Dipole moment, polarity of molecules, orbital symmetry, Electronic transitions, Optical activity, Modes of vibration , bonding in molecules and their behavior

## Symmetry elements \& Symmetry operations :

Symmetry operation : It is process carried out on the molecule, to obtain an equivalent orientation, this equivalent orientation must be indistinguishable


Can, we predict the type operation is performed on above molecule!

## $\xrightarrow[\mathrm{H}_{2}]{\substack{\mathrm{H}_{1} \\ \theta=\mathbf{1 8 0}^{\circ}}} \underset{\substack{\text { Rotation }}}{\text { R }}$



Various types of operation we are performing

1. Rotation

2 Reflection
3. Inversion
4. Walking
5. Eating
6. Dancing
7. Reading

Any operations will be performed with help of an element

Symmetry elements : Symmetry elements are axis, plane or points through which a symmetry operation can be performed . Symmetry elements are geometric entities such as axes, planes or point with respect to which operation can be carried out. Symmetry operations are actions with respect to the symmetry element that leave the molecule in indistinguishable orientation

Symmetry element
Axis
Plane
Point

## Symmetry operation

Rotation operation
Reflection operation
Inversion operation

## Classification of symmetry elements

1. Center of Symmetry (i)
2. Axis of Symmetry $\left(C_{n}\right)$
3. Plane symmetry( $\sigma$ )
4. Rotation reflection axis of symmetry: $\left(\mathrm{S}_{\mathrm{n}}\right)$
5. Identity (E)
6. Center of Symmetry : " It is an imaginary point in the center of molecule through which the inversion/reflection of each atom can be carried out to get coincidence of an equivalent atom"

Ex: $\mathrm{CO}_{2}, \mathrm{H}_{2} \mathrm{O}, \mathrm{NH}_{3}, \mathrm{H}_{2},\left[\mathrm{PtCl}_{4}\right]^{-2},\left[\mathrm{FeF}_{6}\right]^{3-}$

$0=\mathrm{C}=0$


It has a Center of symmetry
Does not have Center of symmetry

It has a Center of symmetry

Does not have Center of symmetry

## Application of center of symmetry :

* To predict dipole moment of molecule
* To predict polarity of molecules
* To label 'g' \& 'u' symmetry to orbital's, bonding and antibonding orbital's
i.e
$A_{1 g}$ for s orbital, $T_{2 g}$ and $E_{g}$ for dorbital‘s $T_{1 u}$ for $p$ orbitals


2. Axis of Symmetry $\left(C_{n}\right)$ : Imaginary axis passing through the center of molecule, through which molecule can be rotated clockwise direction till to get identical orientation. The orientation must be indistinguishable

Angle of rotation $(\theta)=360^{\circ} / n$


Draw the structure and predict the order of axis of symmetry.
$\mathrm{NH}_{3}, \mathrm{BF}_{3}, \mathrm{SO}_{2}, \mathrm{H}_{2} \mathrm{~S}, \mathrm{POCl}_{3}, \mathrm{PCl}_{5}$ Square planer $-\mathrm{AB}_{4}$, Cis \& Trans isomer of $\mathrm{AB}_{2} \mathrm{C}_{2}$

## Classification of axis of Symmetry:

* Principal Axis $\left(C_{n}\right)$ : highest fold of axis of symmetry *Sulbsidiary axis : Perpendicular to principal axis
$\mathrm{C}_{\mathrm{n}}=\mathrm{C}^{1}{ }_{\mathrm{n}}, \mathrm{C}^{2}{ }_{\mathrm{n}}, \ldots \ldots . . \mathrm{C}_{\mathrm{n}}{ }^{\mathrm{n}-1}, \mathrm{C}_{\mathrm{n}}{ }_{\mathrm{n}}$
$\mathrm{C}_{\mathrm{n}}=\mathrm{E}$,
$\mathrm{C}^{1}{ }_{\mathrm{n}}, \mathrm{C}^{2}{ }_{\mathrm{n}}, \ldots \ldots . . \mathrm{C}_{\mathrm{n}-1}$ equivalent orientation, Indistinguishable


Ex: $\mathrm{BF}_{3} \mathrm{SO}_{2}, \mathrm{H}_{2} \mathrm{~S}, \mathrm{POCl}_{3}, \mathrm{PCl}_{5}$ Square planer $-\mathrm{AB}_{4}$, Cis \& Trans isomer of $\mathrm{AB}_{2} \mathrm{C}_{2}$

## 3. Plane symmetry ( $\sigma$ ) :

Plane which divide the object/ molecule into equal two part, these two parts must be mirror image of each other.



Mirror plane $=\mathrm{H}_{2} \mathrm{O}$ Molecule


Draw the structure and identify types of planes.
$\mathrm{NH}_{3}, \mathrm{BF}_{3} \mathrm{SO}_{2}, \mathrm{H}_{2} \mathrm{~S}, \mathrm{POCl}_{3}, \mathrm{PCl}_{5}$ Square planer $-\mathrm{AB}_{4}$,
4. Rotation reflection axis of symmetry: $\left(\mathbf{S}_{\mathbf{n}}\right)$ : It is product of two operation and it is generated by rotating the molecule by angle $360^{\circ} / \mathrm{n}$ and reflected in plane perpendicular to principal axis.

$$
\mathrm{S}_{\mathrm{n}}=\mathrm{C}_{\mathrm{n}(\mathrm{z})} \cdot \sigma_{\mathrm{h}}
$$

$\mathrm{S}_{\mathrm{n}}=\mathrm{C}_{\mathrm{n}(\mathrm{z})} \cdot \sigma_{\mathrm{h}}$
Generation of $\mathbf{S}_{\mathbf{n}}$ has two conditions:

1. When " $n^{\prime \prime}$ is odd : $\mathbf{S}_{\mathbf{n}}{ }^{=>} \mathbf{S}^{\mathbf{1}}{ }_{\mathrm{n}}, \mathbf{S}^{\mathbf{2}}{ }_{\mathbf{n}}, \mathbf{S}^{\mathbf{3}}{ }_{\mathrm{n}} \boldsymbol{- - -} \mathrm{S}^{2 \mathrm{n}}{ }_{\mathrm{n}}$

$$
\mathrm{S}^{2 \mathrm{n}_{\mathrm{n}}}=\mathrm{E}
$$

2. When " $n^{\prime \prime}$ is even; $\mathbf{S}_{\mathbf{n}}{ }^{=>} \mathbf{S}^{\mathbf{1}}{ }_{\mathrm{n}}, \mathbf{S}^{\mathbf{2}}{ }_{\mathrm{n}}, \mathbf{S}^{\mathbf{3}}{ }_{\mathrm{n}}$--- $\mathrm{S}_{\mathrm{n}}$

$$
S_{n}=S_{n}^{n}=E
$$

Q. Prove that $\mathrm{PCl}_{5} \& \mathrm{BF}_{3}$ has $\mathrm{S}_{3}$ axis of symmetry.
Q. Prove that $\mathrm{PtCl}_{4}$ has $\mathrm{S}_{4}$ axis of symmetry.

## THE END

