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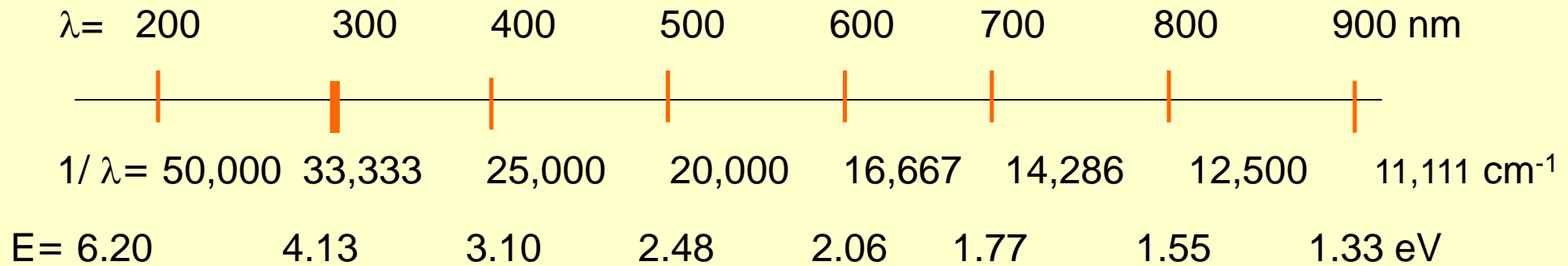
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M. SC. Chemistry Semester –II
Inorganic Chemistry

Microstates and their significance, Ligand field excited states

I

UV- Visible Wavelength region;



$$E = h(c/\lambda) \quad 1240/\lambda \text{ nm)}$$

Molecule

$h\nu$



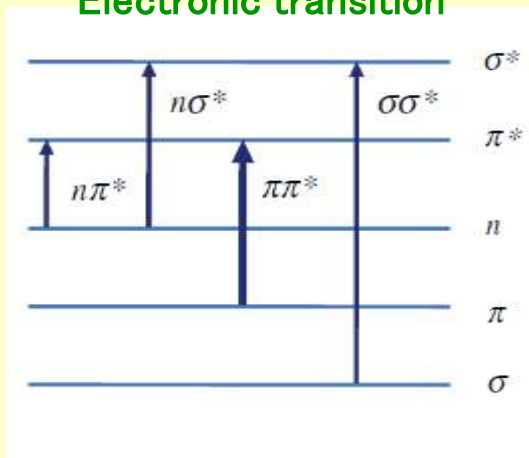
Organic Molecule

- Radiation may be absorbed or reflected from molecule.
- Reorganization of electron density

Inorganic Molecule

- Radiation may be absorbed or reflected from the molecule.
- Reorganization of electron density
- d-d electron transition
- Charge transfer transition
- Inter-electronic repulsion with in the electrons.

Electronic transition



Microstate

1. Microstate for d orbitals

$$= \frac{(4l+2)!}{N! (4l+2-N)!}$$

2. Microstates for given Terms F terms :

$$= [2L+1][2S+1]$$

3. Microstate from given J values

$$= [2J+1]$$

4. Microstates for t_{2g} e_g orbital electrons

$$= \frac{(2d)!}{N! (2d-N)!}$$

microstates for d^2 configurations and their terms

$$= \frac{[4 \times 2 + 2]!}{2! [4 \times 2 + 2 - 2]!} = 45$$

$$\begin{array}{cccccc} d^2 & \longrightarrow & {}^3F & + & {}^1D & + & {}^3P & + & {}^1G & + & {}^1S \\ 45 & & 21 & & 5 & & 9 & & 9 & & 1 \end{array}$$

$$\text{Terms} = [2L+1][2S+1]$$

What is Significance of Microstate ?

Calculate the microstates for d¹ configuration and arrange the two electrons in d orbital indistinguishable ways equal to calculated values of microstates

Microstate for d¹

$$= \frac{(4+2)!}{N!((4+2 - N))!}$$

L values for d is = 2 ;

N- number of electrons = 1

∴ Microstate

$$∴ = \frac{(4 \times 2+2)!}{2!((4 \times 2+2 - 1))!}$$

∴ Microstate for d² = 10!/1! x9!

∴ Microstate for d² = 10 x 9!/ 9!

∴ Microstate for d² = 10

m _l =2	1	0	-1	-2	M _L	M _S	Total microstate
↑					2	1/2	1
	↑				1	1/2	1
		↑			0	1/2	1
			↑		-1	1/2	1
				↑	-2	1/2	1
↓					2	-1/2	1
	↓				1	-1/2	1
		↓			0	-1/2	1
			↓		-1	-1/2	1
				↓	-2	-1/2	1
Total microstate							10

Microstates for $d^2 = 45$

m_l	1	0	-1	-2	M_L	M_S	Total nos. microstate	
\uparrow	\uparrow				3	1, 0, 0, -1	4	
\uparrow		\uparrow			2	1, 0, 0, -1	4	
\uparrow			\uparrow		1	1, 0, 0, -1	4	
\uparrow				\uparrow	0	1, 0, 0, -1	4	
	\uparrow	\uparrow			1	1, 0, 0, -1	4	
	\uparrow		\uparrow		0	1, 0, 0, -1	4	
	\uparrow			\uparrow	-1	1, 0, 0, -1	4	
		\uparrow	\uparrow		-1	1, 0, 0, -1	4	
		\uparrow		\uparrow	-1	1, 0, 0, -1	4	
			\uparrow	\uparrow	-3	1, 0, 0, -1	4	
$\uparrow\downarrow$					4	0	1	
	$\uparrow\downarrow$				2	0	1	
		$\uparrow\downarrow$			0	0	1	
			$\uparrow\downarrow$		-2	0	1	
				$\uparrow\downarrow$	-4	0	1	
Total arrangements of 2 electrons							45	7

UUU, UUD,UDU,DUU, UDD,DUD,DDU, DDD

d^3
configuration
has 120
microstate

m_l	1	0	-1	-2	M_L	M_S	Total nos. microstate
\uparrow	\uparrow	\uparrow			3	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
\uparrow	\uparrow		\uparrow		2	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
\uparrow	\uparrow			\uparrow	1	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
\uparrow		\uparrow	\uparrow		1	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
\uparrow		\uparrow		\uparrow	0	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
\uparrow			\uparrow	\uparrow	-1	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
	\uparrow	\uparrow	\uparrow		0	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
	\uparrow	\uparrow		\uparrow	-1	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
	\uparrow		\uparrow	\uparrow	-2	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8
		\uparrow	\uparrow	\uparrow	-3	$3/2, 3x(1/2), 3x(-1/2), -3/2$	8

↑	↑↓				4	$1/2, -1/2$	2
↑		↑↓			2	$1/2, -1/2$	2
↑			↑↓		0	$1/2, -1/2$	2
↑				↑↓	-2	$1/2, -1/2$	2
	↑	↑↓			1	$1/2, -1/2$	2
	↑		↑↓		-1	$1/2, -1/2$	2
	↑			↑↓	-3	$1/2, -1/2$	2
		↑	↑↓		-2	$1/2, -1/2$	2
		↑		↑↓	-4	$1/2, -1/2$	2
			↑	↑↓	-5	$1/2, -1/2$	2
↑↓	↓				5	$-1/2, 1/2$	2
↑↓		↓			4	$-1/2, 1/2$	2
↑↓			↓		3	$-1/2, 1/2$	2

$\uparrow\downarrow$				\downarrow	2	$-1/2, 1/2$	2
	$\uparrow\downarrow$	\downarrow			2	$-1/2, 1/2$	2
	$\uparrow\downarrow$		\downarrow		1	$-1/2, 1/2$	2
	$\uparrow\downarrow$			\downarrow	0	$-1/2, 1/2$	2
		$\uparrow\downarrow$	\downarrow		-1	$-1/2, 1/2$	2
		$\uparrow\downarrow$		\downarrow	-2	$-1/2, 1/2$	2
			$\uparrow\downarrow$	\downarrow	-4	$-1/2, 1/2$	2
Total microstate or arrangement							120

Application of microstate :

It is used for determination of spin multiplicity of ligand field excited state for low spin complex

Problem : Calculate the microstates for t_{2g}^2 configuration in an octahedral environment and correlate it with ${}^aT_{1g} + {}^bT_{2g} + {}^cE_g + {}^dA_{1g}$ ligand field excited states by trial and error method, and find the values of a,b,c and d

$$= (2d) ! / [N ! (2d-N) !]$$

$$\begin{aligned} t_{2g}^2 &= (2 \times 3) ! / (2 ! (2 \times 3 - 2) ! \\ &= 6 ! / 2 \times 1 \times 4 ! \\ &= 15 \end{aligned}$$

$$d^2 \rightarrow t_{2g}^2 = t_{2g}^1 \times t_{2g}^1 = {}^aT_{1g} + {}^bT_{2g} + {}^cE_g + {}^dA_{1g} = 15$$

Consider Possible spin multiplicities for two unpaired electrons are **triplet & doublet**

$$= [a \times 3] + [b \times 3] + [c \times 2] + [d \times 1] = 15$$

$$= [3 \times 3] + [1 \times 3] + [1 \times 2] + [1 \times 1] = 15$$

$${}^3T_{1g} + {}^1T_{2g} + {}^1E_g + {}^1A_{1g}$$

Problem : Calculate the microstates for $t_{2g}^1 e_g^1$ configuration in an octahedral environment and correlate it with its ligand field excited states by trial and error method, and find the values of a,b,c and d

$$= [(2d)! / [N! (2d-N)!]] [(2d)! / [N! (2d-N)!]]$$

$$\begin{aligned} t_{2g}^1 e_g^1 &= [(2 \times 3)! / (1! (2 \times 3 - 1)!)] [(2 \times 2)! / (1! (2 \times 2 - 1)!)] \\ &= [6! / 1! \times 5!] \times [4! / 1! \times 3!] \\ &= 6 \times 4 \\ &= 24 \end{aligned}$$

$$d^2 \rightarrow = t_{2g}^1 \times e_g^1 = {}^aT_{1g} + {}^bT_{2g} + {}^cT_{1g} + {}^dT_{2g} = 24$$

Consider Possible spin multiplicities for two electron are **triplet & singlet**

$$= [a \times 3] + [b \times 3] + [c \times 3] + [d \times 3] = 24$$

$$= [3 \times 3] + [3 \times 3] + [1 \times 3] + [1 \times 3] = 24$$

$$= {}^3T_{1g} + {}^3T_{2g} + {}^1T_{1g} + {}^1T_{2g}$$

Problem : Calculate the microstates for e_g^2 configuration in an octahedral environment and correlate it with its ligand field excited states by trial and error method, and find the values of a,b,c and d

$$= (2d) ! / [N ! (2d-N) !]$$

$$e_g^2 = (2 \times 2) ! / (2 ! (2 \times 2 - 2) !)$$

$$= 4 ! / 2 \times 2 !$$

$$= 4 \times 3 \times 2 / 4$$

$$= 6$$

$$= e_g^2 = e_g^1 \times e_g^1 = {}^a A_{2g} + {}^b E_g + {}^c A_{1g} = 6$$

Consider Possible spin multiplicities for two electron are **triplet & singlet**

$$= [a \times 1] + [b \times 2] + [c \times 1] = 6$$

$$= [3 \times 1] + [1 \times 2] + [1 \times 1] = 6$$

$${}^3 A_{2g} + {}^1 E_g + {}^1 A_{1g}$$

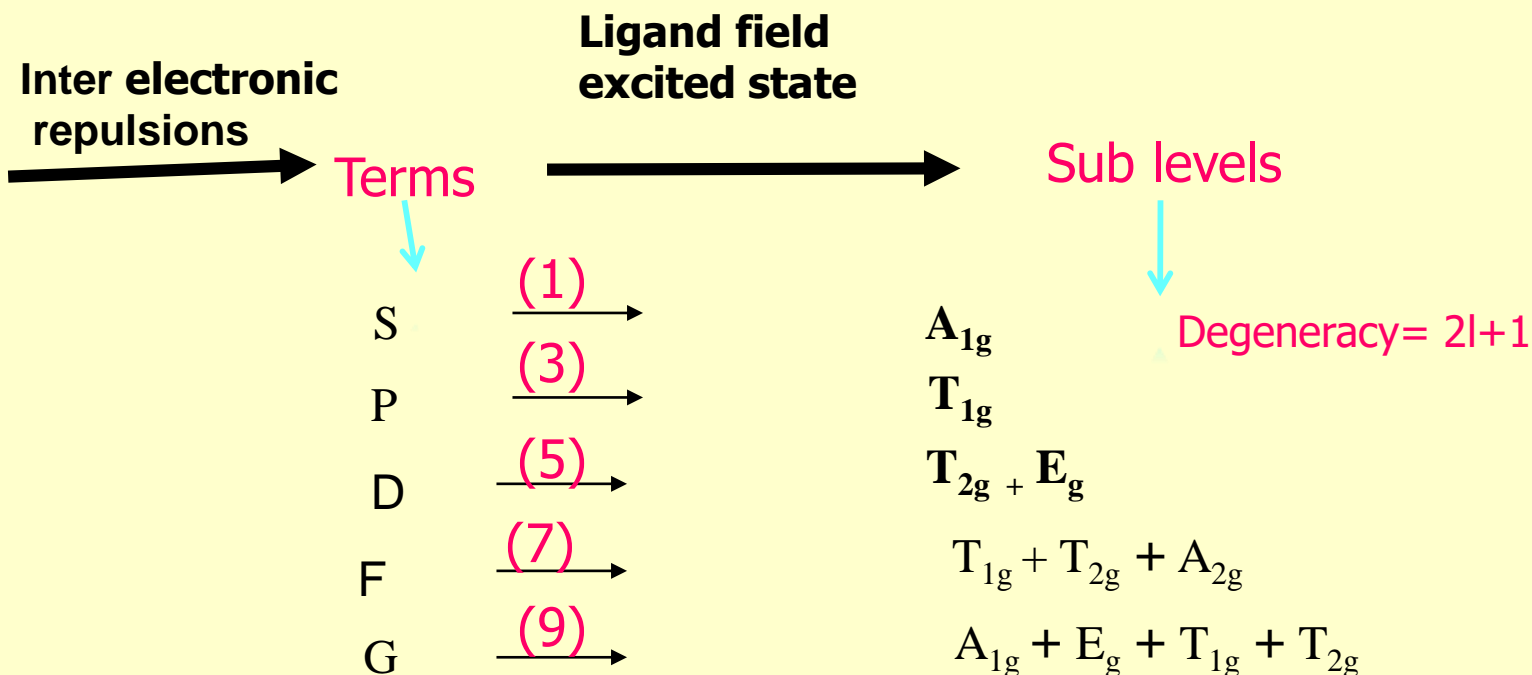
Splitting of spectroscopic terms in an octahedral environment :

Due to formation of complex between metal and ligand , the free ion terms are split into different sub levels . These sublevels are also called as crystal field terms or ligand field excited states.

High spin complexes :

- Ligand field excited states are generated due to Inter electronic repulsion , which is greater than Crystal field effect in high spin complexes

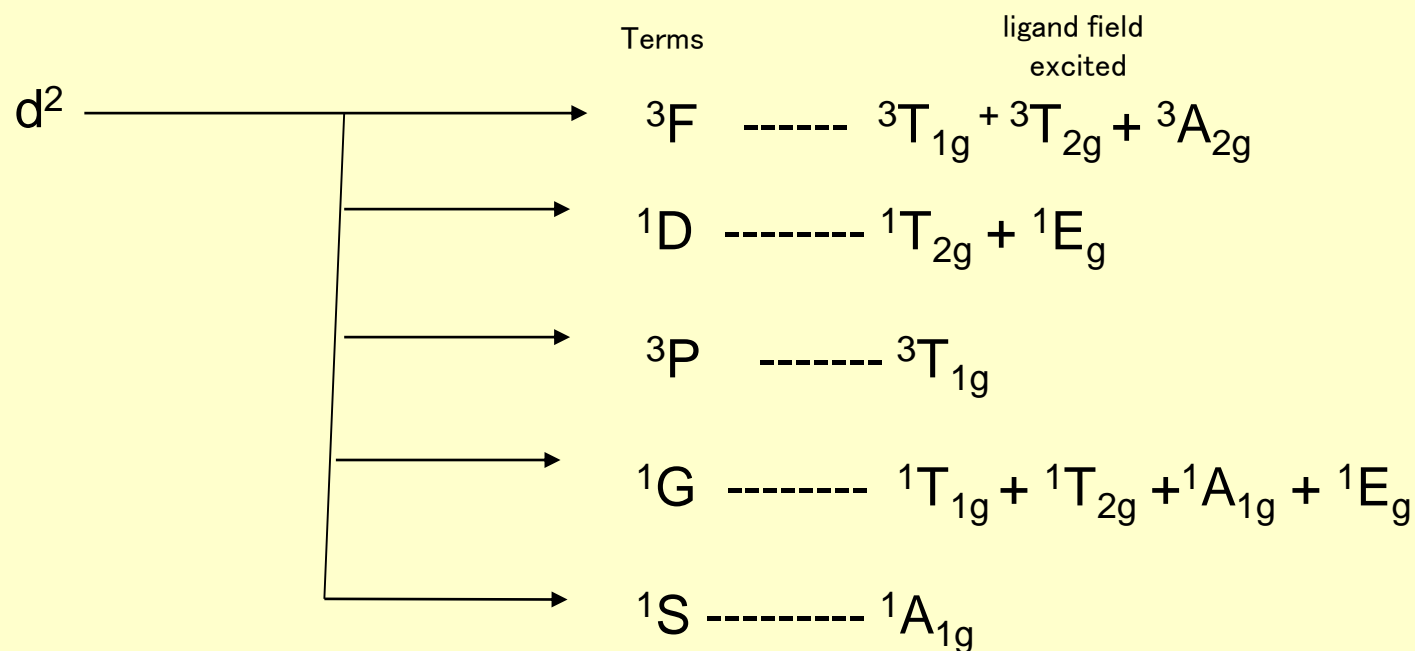
Electronic configuration
Central metal ion in the complex



What are the ligand field excited state for high spin d^2 configuration in an octahedral complex ?

According to weak field approach/ high spin complex's d^2 configuration gives a free ion spectroscopic terms ,

In case of high complexes the parents terms spin multiplicity is labeled as it

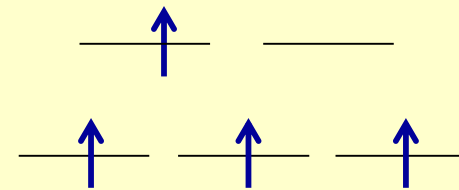
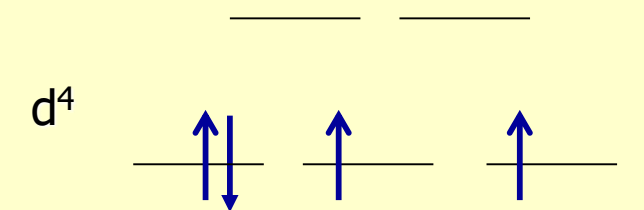
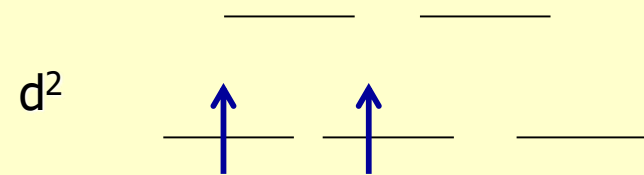
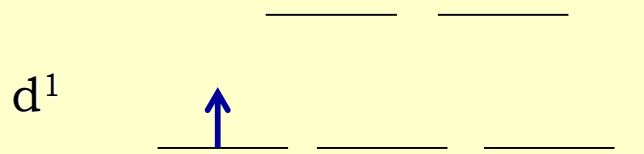


Which of the ligand field state is ground level ?

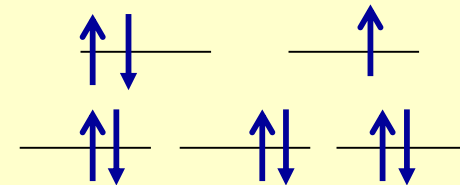
A, E, T Symmetric Label for configuration (Octahedral complex)

➤ T – designates a **TRIPLY** degenerate states is asymmetrically occupied electron state.

➤ E– designates a **DOUBLY** degenerate state are asymmetrically occupied electron state.



d⁹(high spin)



➤ E– designates a **DOUBLY** degenerate asymmetrically occupied state.

Strong field ligand complexes of d^2 configuration gives following possible excited states

$$d^2 \rightarrow t_{2g}^2 = t_{2g}^1 \times t_{2g}^1 = {}^aT_{1g} + {}^bT_{2g} + {}^cE_g + {}^dA_{1g} = 15$$

$$= [3 \times 3] + [1 \times 3] + [1 \times 2] + [1 \times 1] = 15$$

$${}^3T_{1g} + {}^1T_{2g} + {}^1E_g + {}^1A_{1g}$$

$$t_{2g}^1 e_g^1 = t_{2g}^1 \times e_g^1 = {}^aT_{1g} + {}^bT_{2g} + {}^cT_{1g} + {}^dT_{2g} = 24$$

$$= [3 \times 3] + [3 \times 3] + [1 \times 3] + [1 \times 3] = 24$$

$$= {}^3T_{1g} + {}^3T_{2g} + {}^1T_{1g} + {}^1T_{2g}$$

$$e_g^2 = e_g^1 \times e_g^1 = {}^aA_{2g} + {}^bE_g + {}^cA_{1g} = 6$$

$$= [3 \times 1] + [1 \times 2] + [1 \times 1] = 6$$

$$= {}^3A_{2g} + {}^1E_g + {}^1A_{1g}$$

Apply spin free & spin paired treatment for every configurations

Direct product of group theoretical representation

for Oh, Td

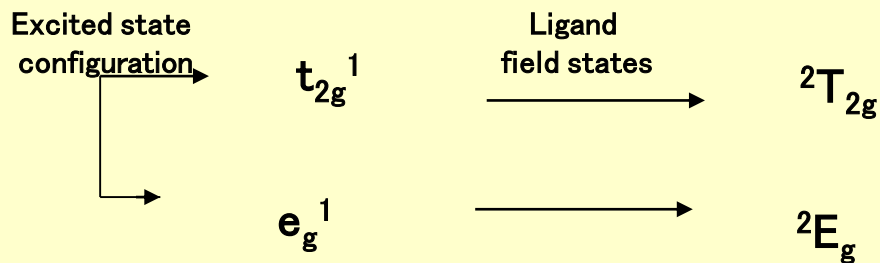
$$E \times E = A_1 + A_2 + E$$

$$T \times T = A_1 + E + T_1 + T_2$$

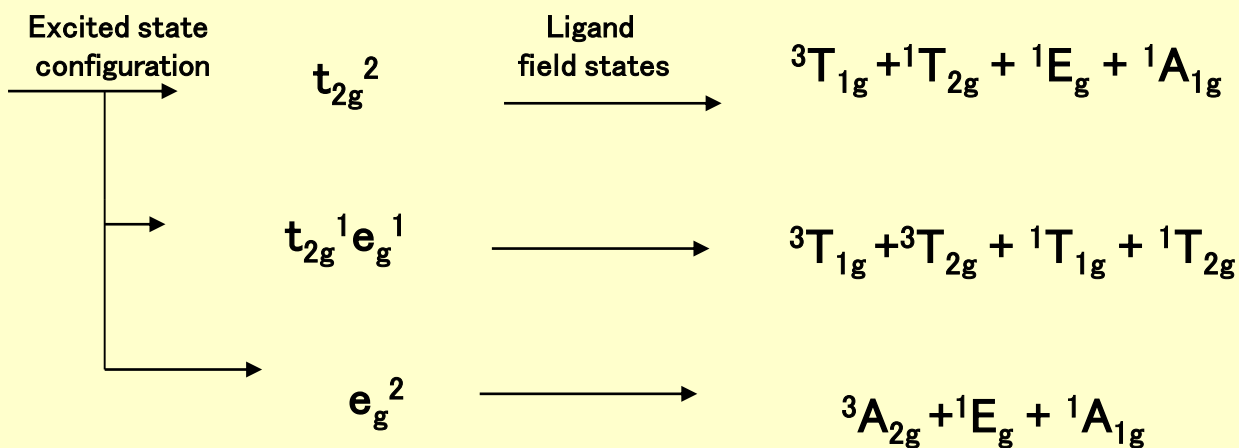
$$E \times T = T_1 + T_2$$

Possible excited states for d^1 to d^{10} configuration in an low spin octahedral complexes

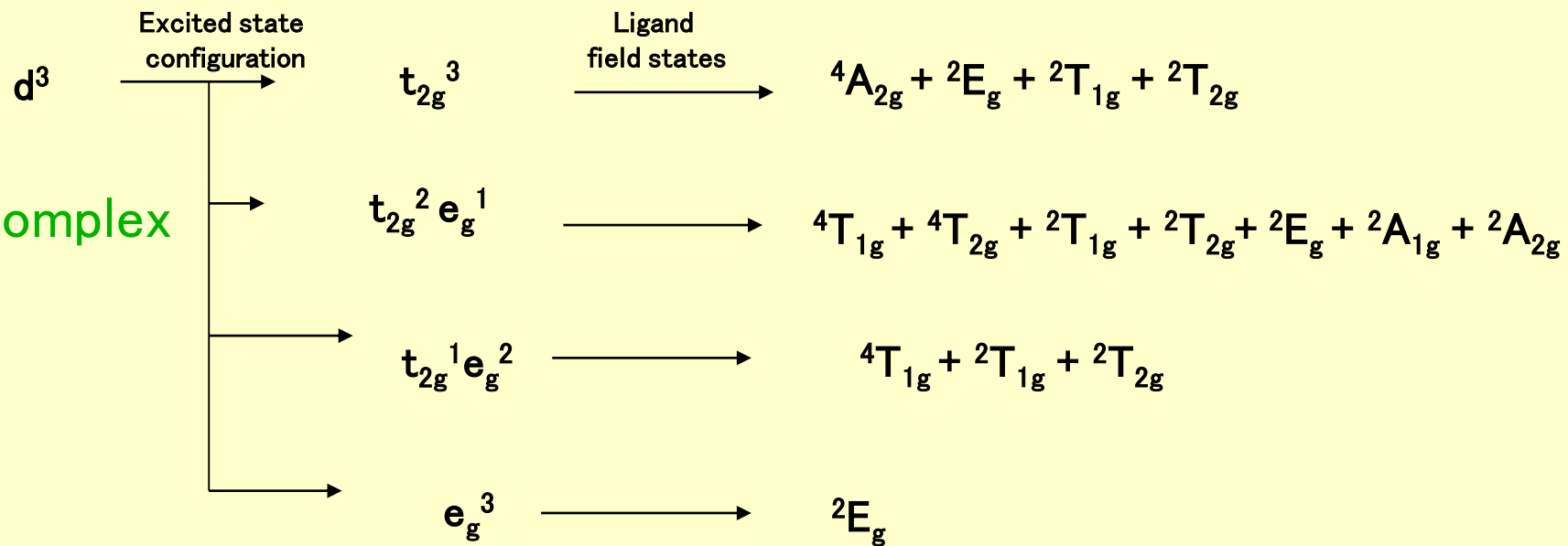
d^1
Ti(III)
complex

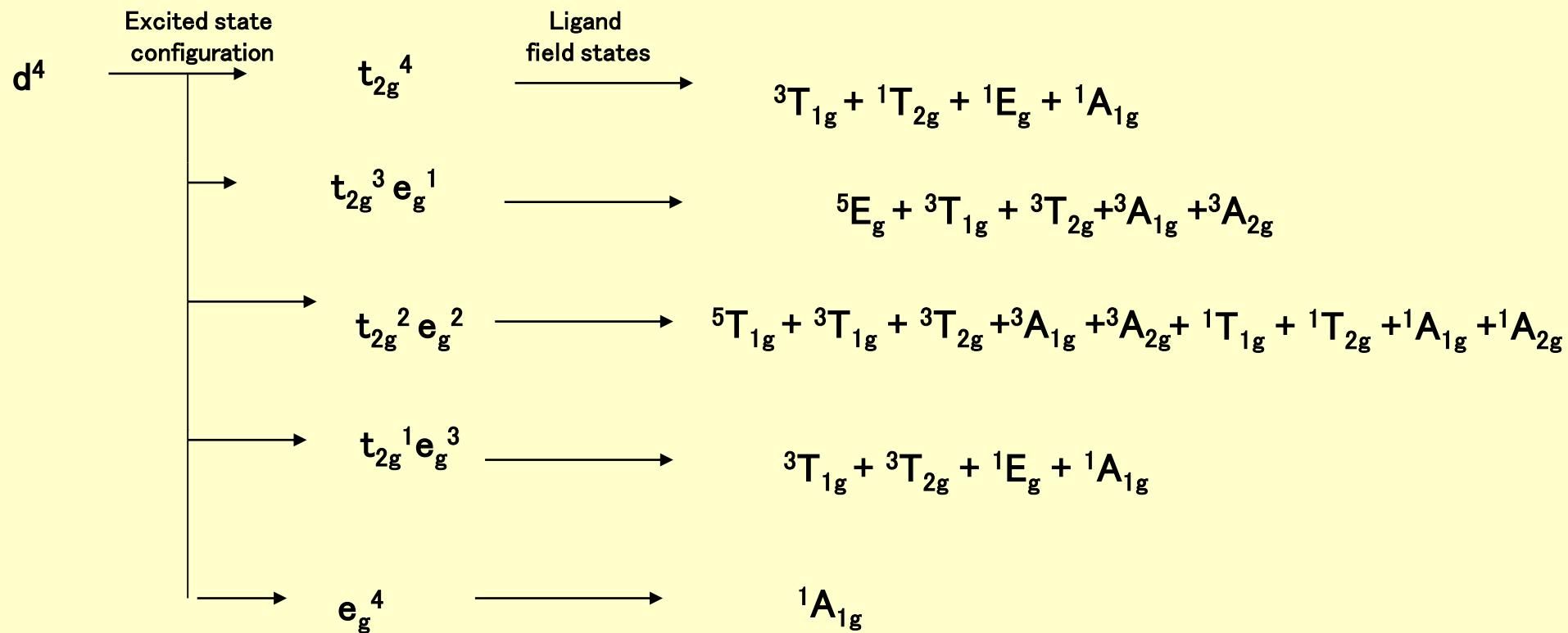


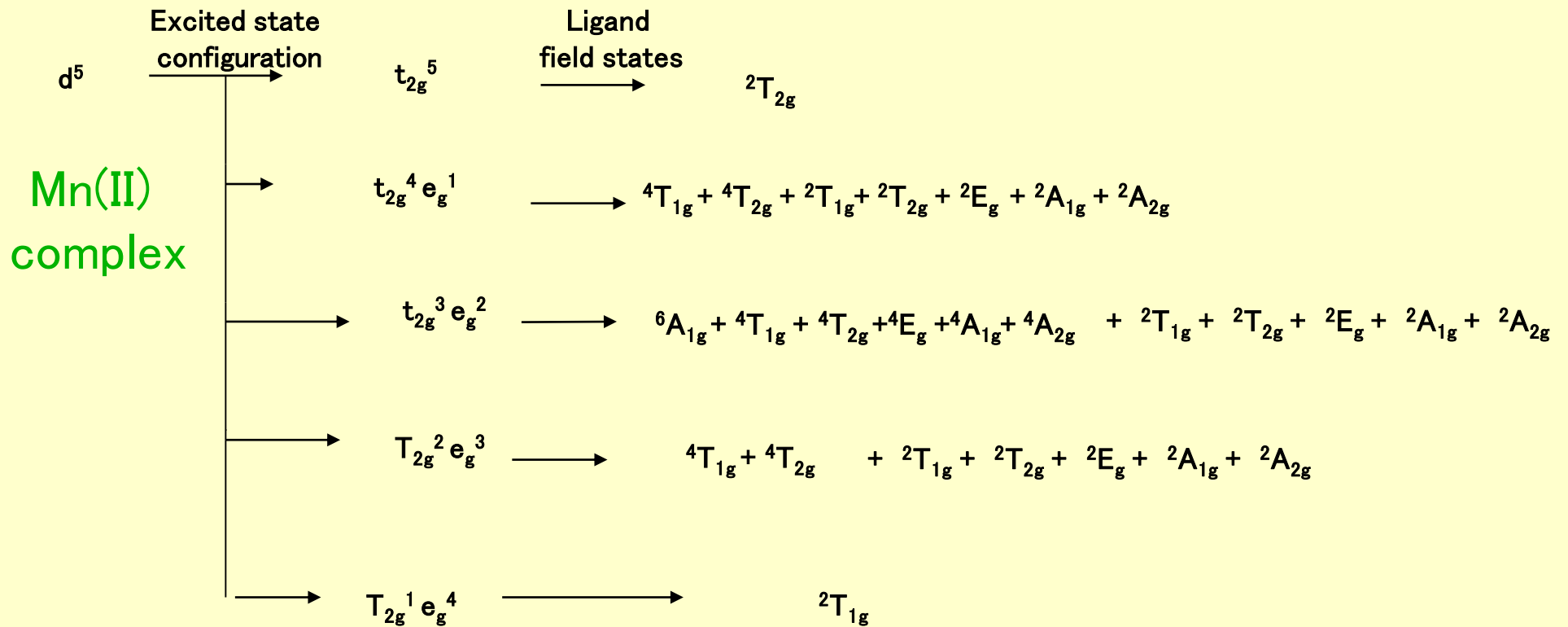
d^2
V(III)
complex

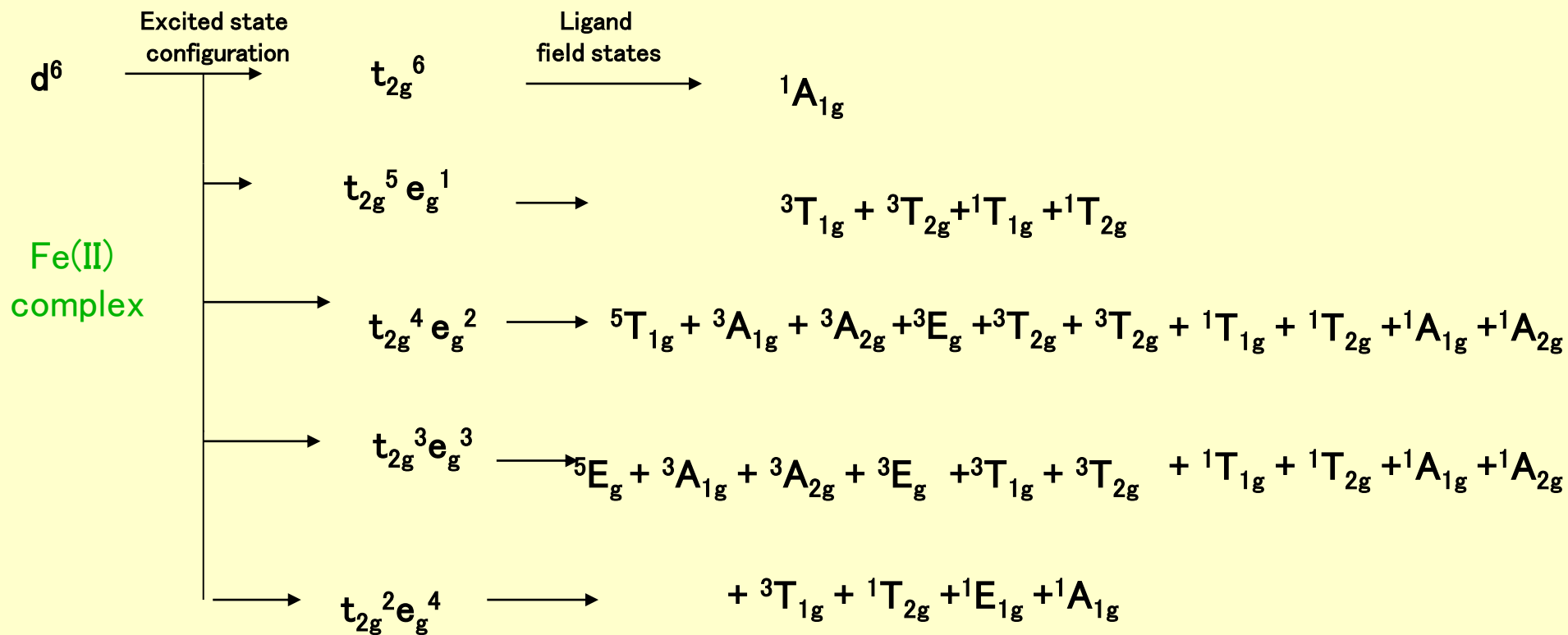


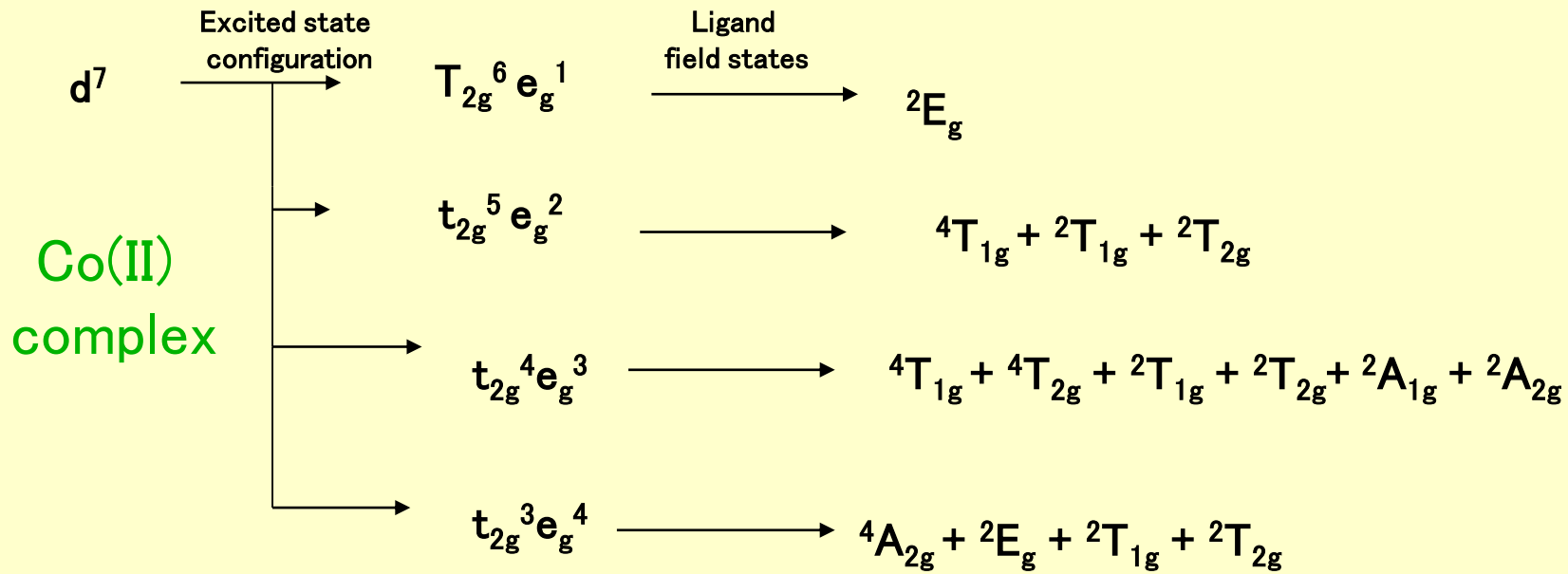
Cr(III) complex

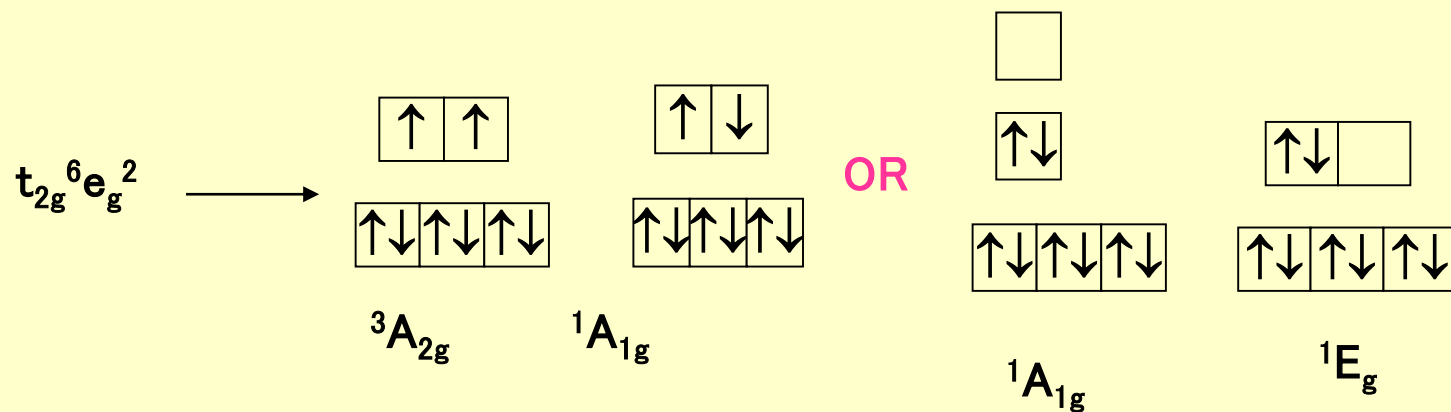
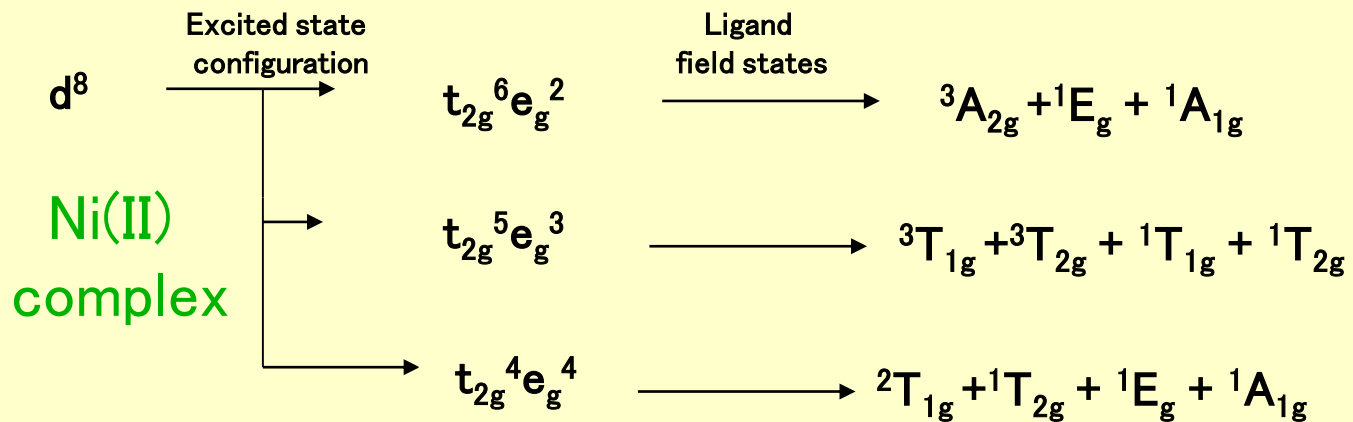




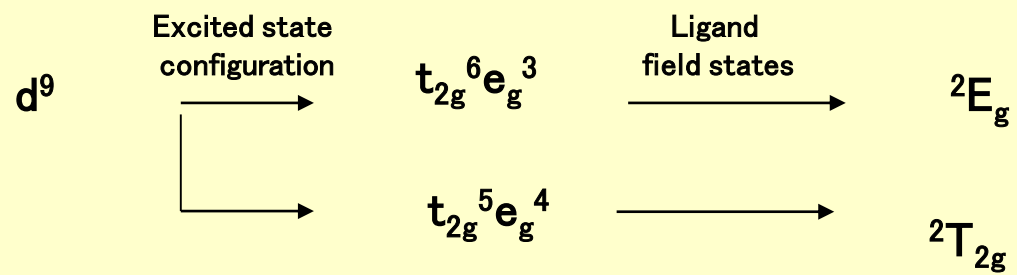








Cu(II)
complex



Thank You All